

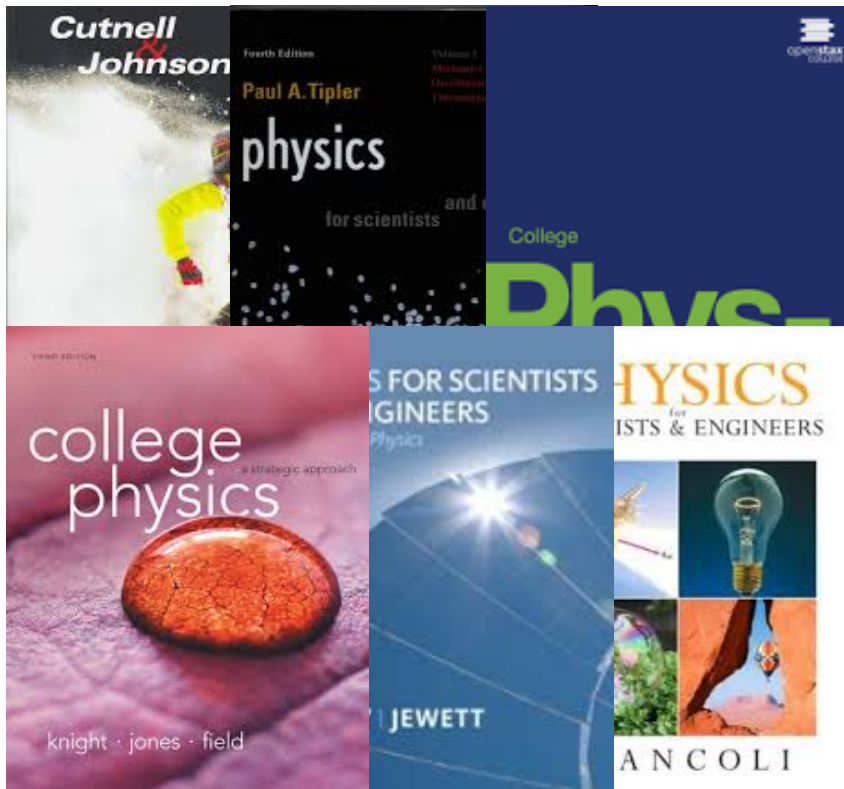
Teach Poiseuille First: Call for a Fluid Dynamics Paradigm Shift

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Dept. of Chemistry and Physics



Traditional Fluids

Standard textbooks...



...and their coverage of fluids

- Static fluids
 - Buoyancy
 - Hydrostatic pressure
- Dynamic fluids
 - Continuity
 - Bernoulli equation
- If time permits
 - Viscosity and Poiseuille's law

IPLS Fluids applications

For Premed majors

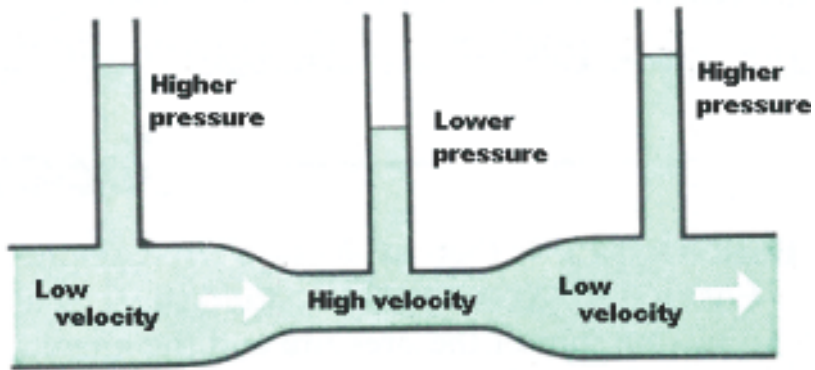
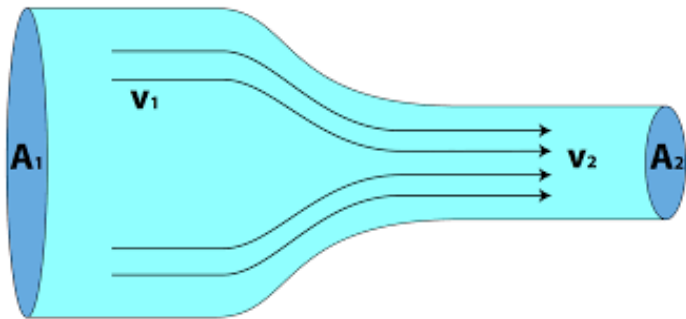
- Static pressure
 - In body (“hydrostatic”)
 - In cells (surface tension)
- Dynamic pressure
 - Circulatory system
 - Respiratory system
 - Flow restriction

For traditional Biology majors

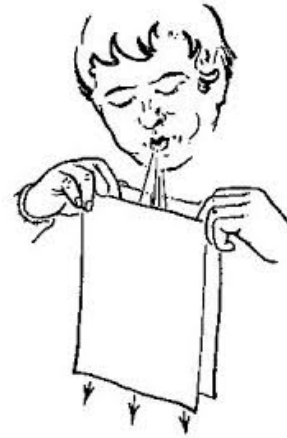
- The topics at left
- Reynolds number and Turbulence
 - Life at high and low Re
- Flight and Swimming
 - Drag, Lift, Thrust

Unit on Dynamic Pressure

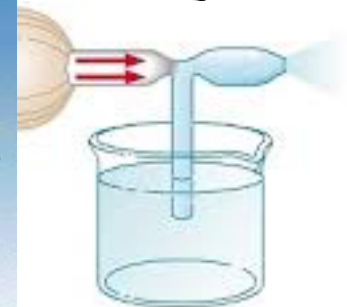
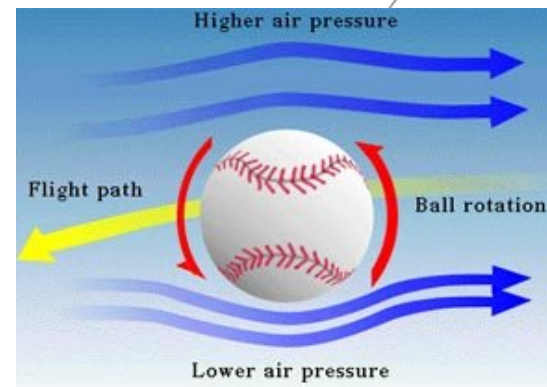
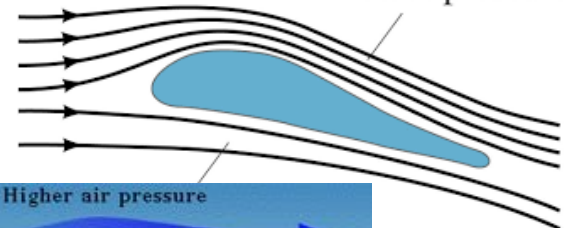
Old Habits



...and their applications



Lower pressure



Maybe not?

Newton's 3rd Law, Coanda effect

Entrainment, Vortices



How Does A Wing Actually Work?

Ve Veritasium Subscribed 3,572,320

728,890 views

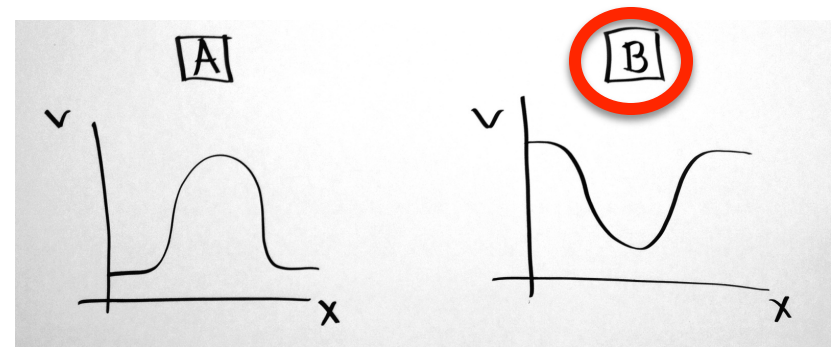
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Full system approach

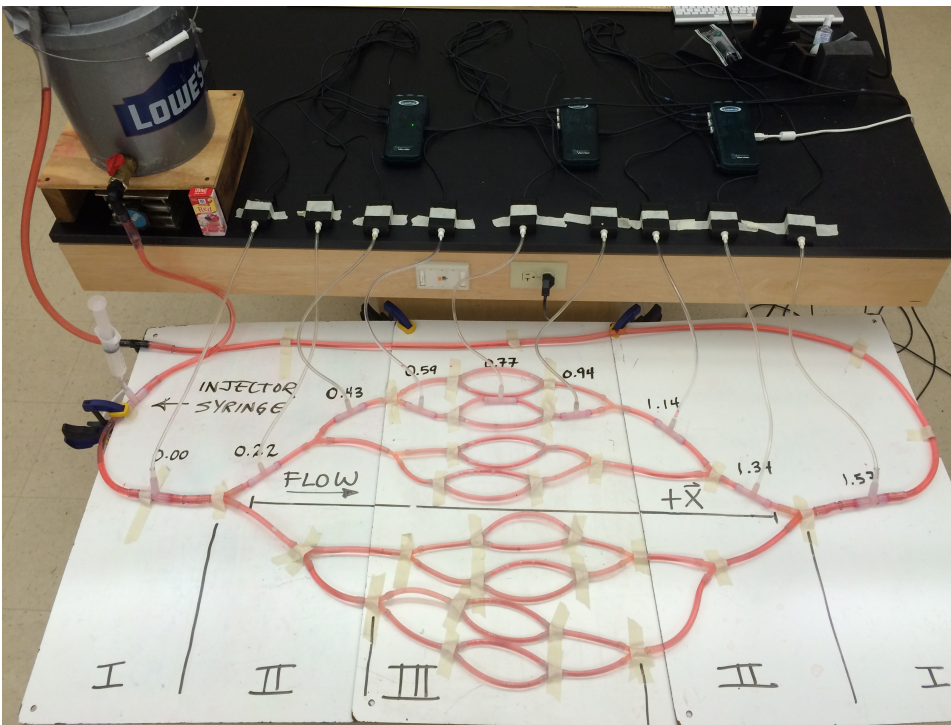


Circulatory System Model

Predict the speed of the water as it passes through the apparatus.

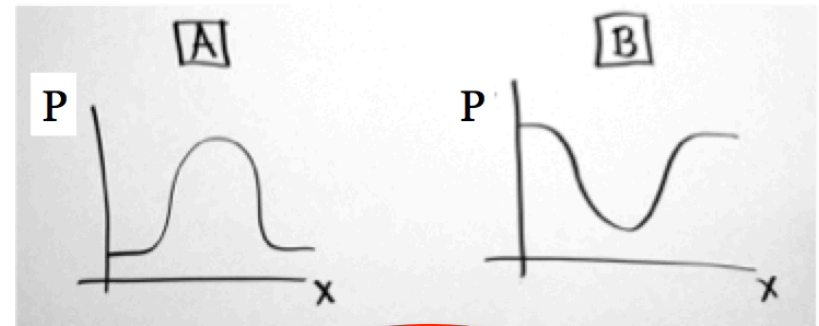
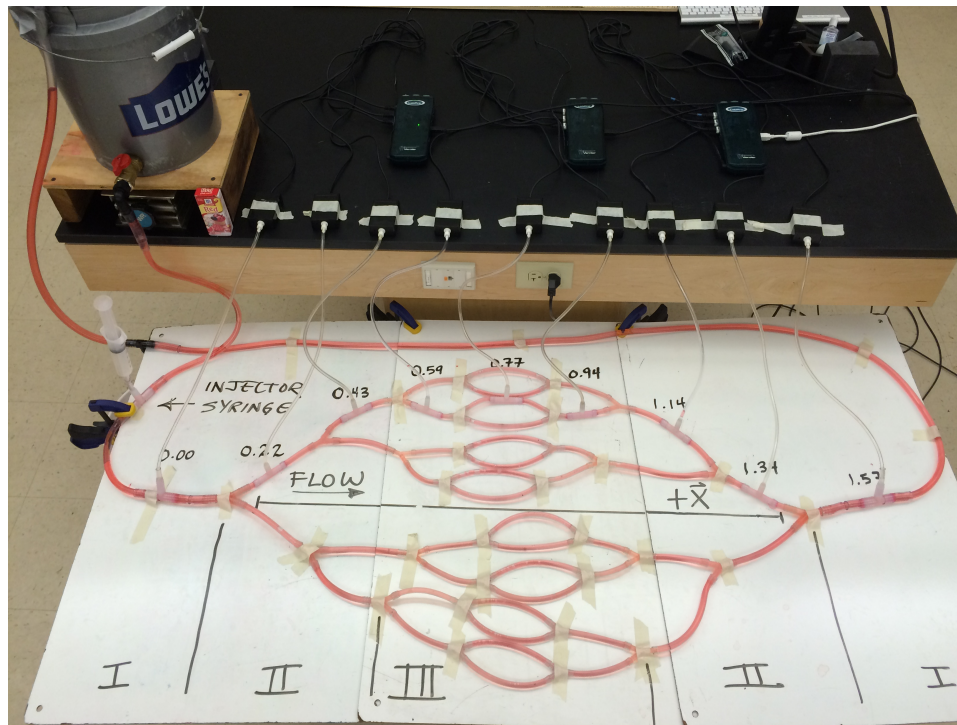


C. Other



Circulatory System Model

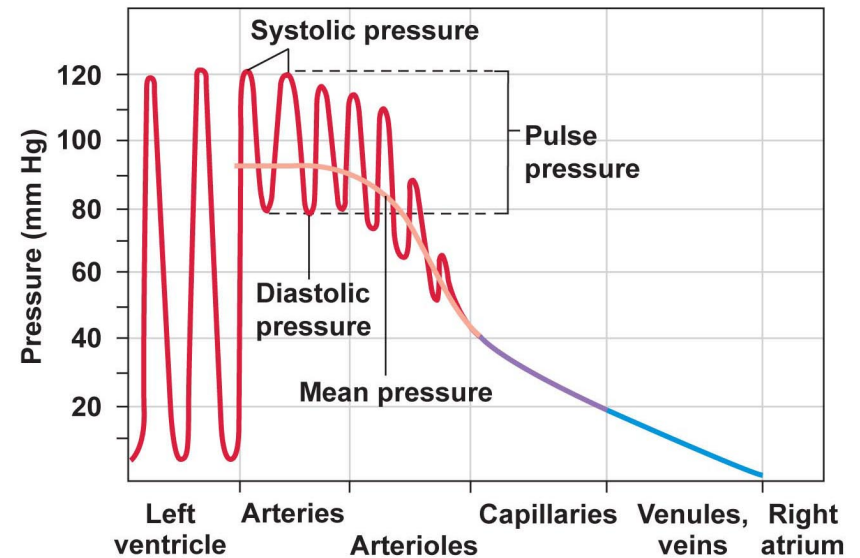
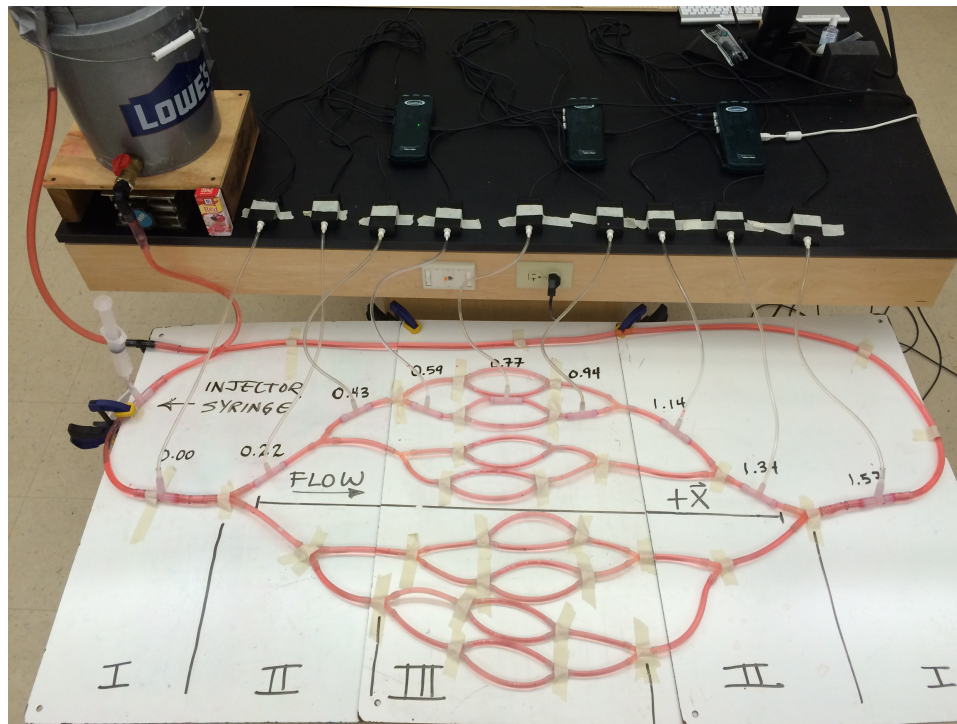
Predict the pressure of the water as it passes through the apparatus.



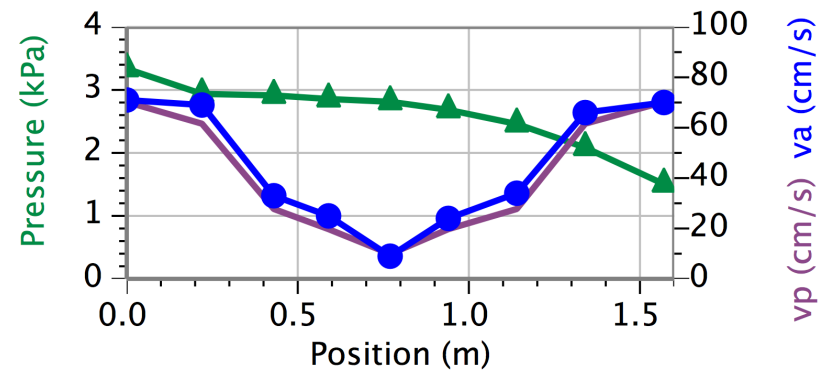
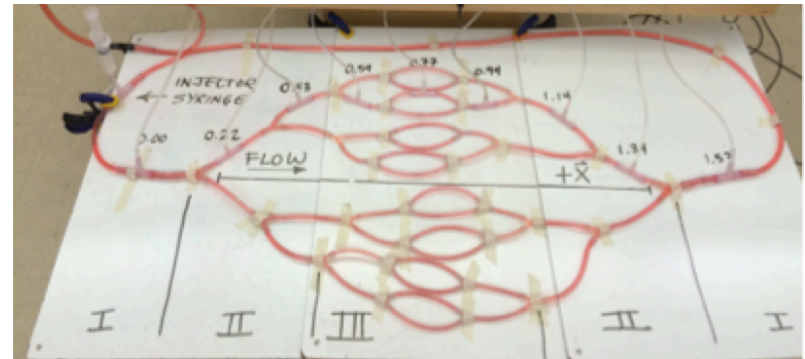
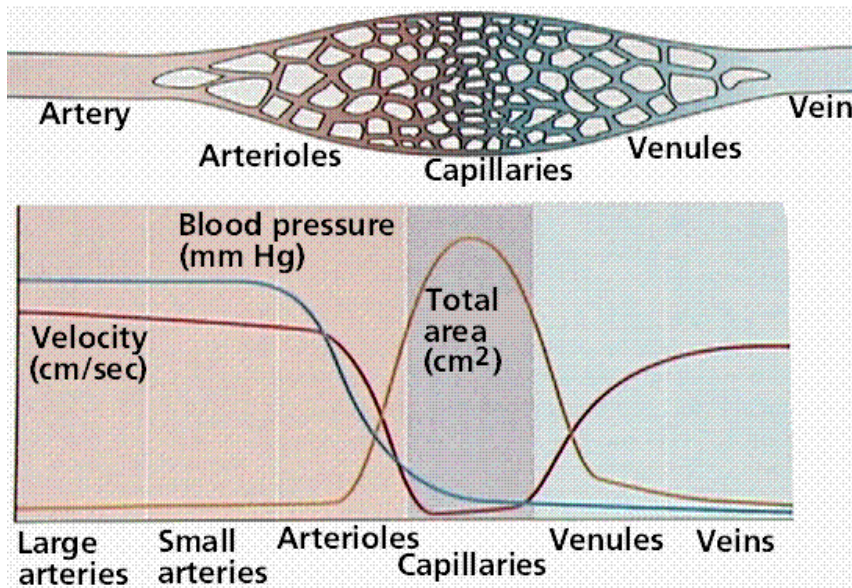
C. Other

Circulatory System Model

Predict the pressure of the water as it passes through the apparatus.



Human Body vs. Model Measurement



Mathematical Modeling

Laminar Flow:

$$\Delta P = -\rho g \Delta h - \frac{1}{2} \rho \Delta(v^2) - Q \frac{8\gamma L}{\pi r^4}$$

Bernoulli

Poiseuille

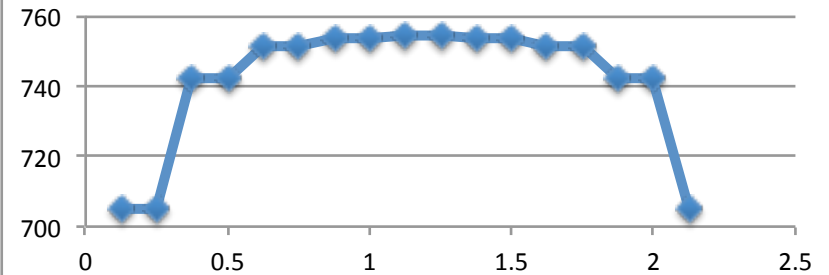
Bernoulli or Poiseuille?

Laminar Conditions

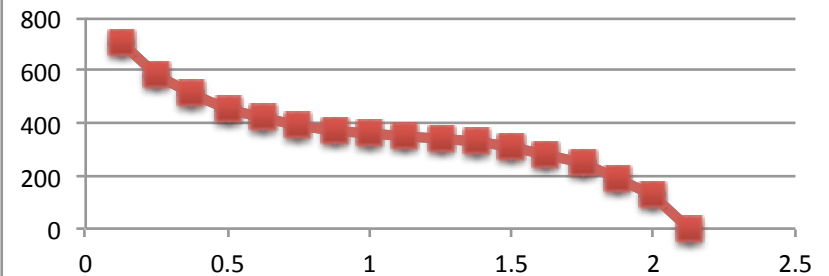
- Tube radius = 0.32 cm
- Tube length = 12.5 cm
- Density = 1000 kg/m³
- Viscosity = 0.004 Pa*s
- Starting pressure = 700 Pa
- Flow rate = 10 mL/s
- Reynold's # = 500

Bernoulli effect is negligible

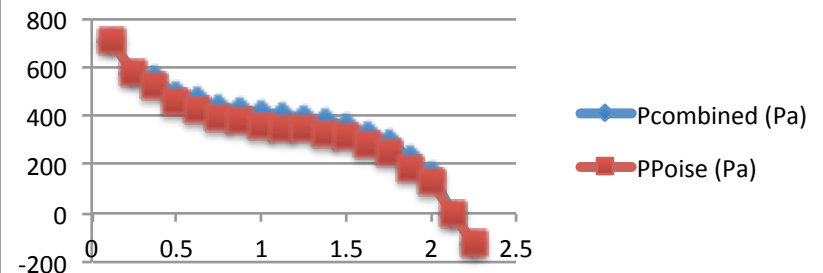
Bernoulli pressure vs. distance



Poiseuille pressure vs. distance



Combined Pressure vs. distance



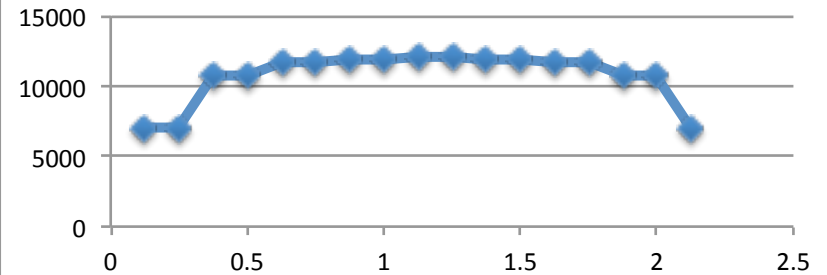
Bernoulli or Poiseuille?

Turbulent Conditions

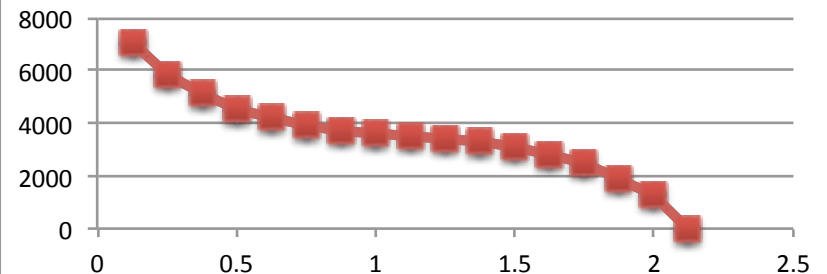
- Tube radius = 0.32 cm
- Tube length = 12.5 cm
- Density = 1000 kg/m³
- Viscosity = 0.004 Pa*s
- Starting pressure = 7000 Pa
- Flow rate = 100 mL/s
- Reynold's # = 5000

Bernoulli effect seems measurable!

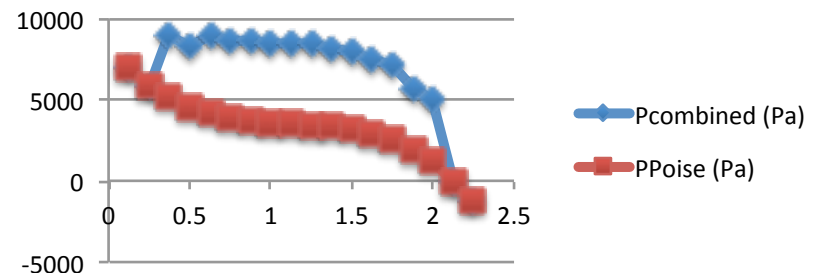
Bernoulli pressure vs. distance



Poiseuille pressure vs. distance



Combined Pressure vs. distance



Mathematical Modeling

Turbulent Flow:

$$\Delta P = -\rho g \Delta h - \frac{1}{2} \rho \Delta(v^2) - \frac{f \rho L Q^2}{4 \pi^2 r^5} - \frac{1}{2} K \rho \Delta(v^2)$$

Bernoulli Major Loss Minor Loss

Friction factor:

$$f = \frac{64}{\text{Re}}$$

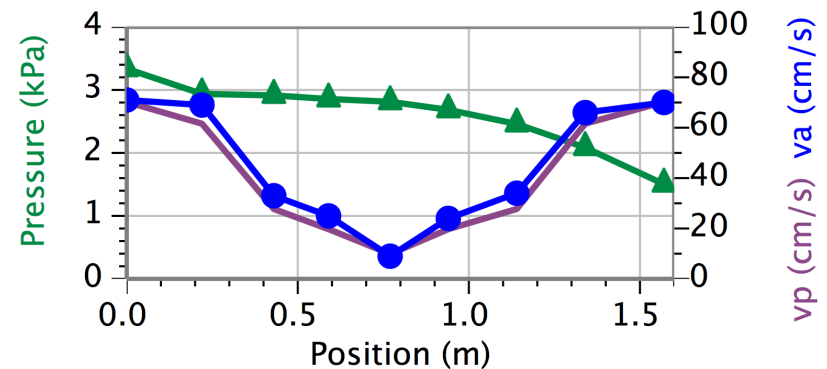
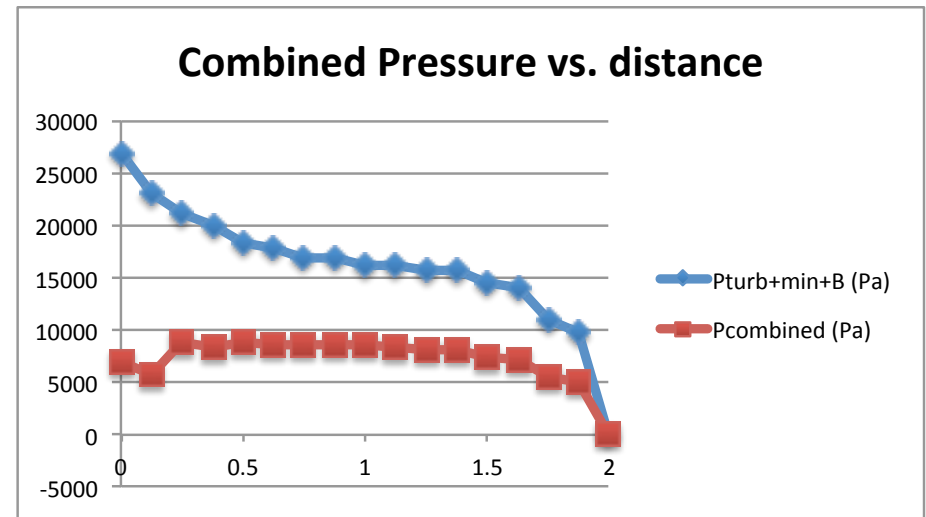
for laminar

$$\frac{1}{\sqrt{f}} = -2 \log_{10} \left(\frac{\varepsilon/D}{3.7} + \frac{2.51}{\text{Re} \sqrt{f}} \right)$$

for turbulent

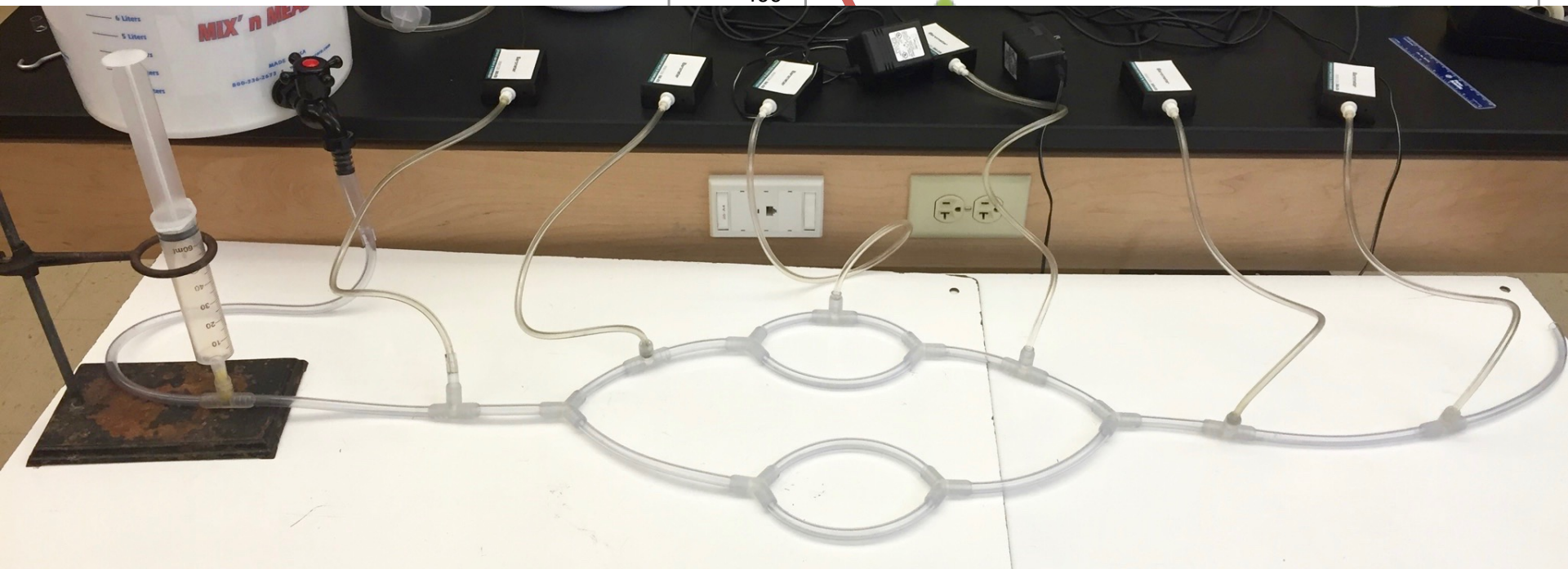
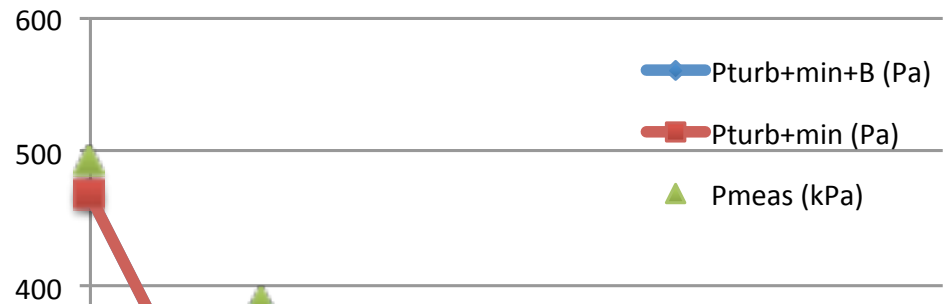
Hmm...

- The physics of turbulent flow
- Minor losses at junctions
- This looks more like the Poiseuille pressure drop
- And the shape is reminiscent of the data

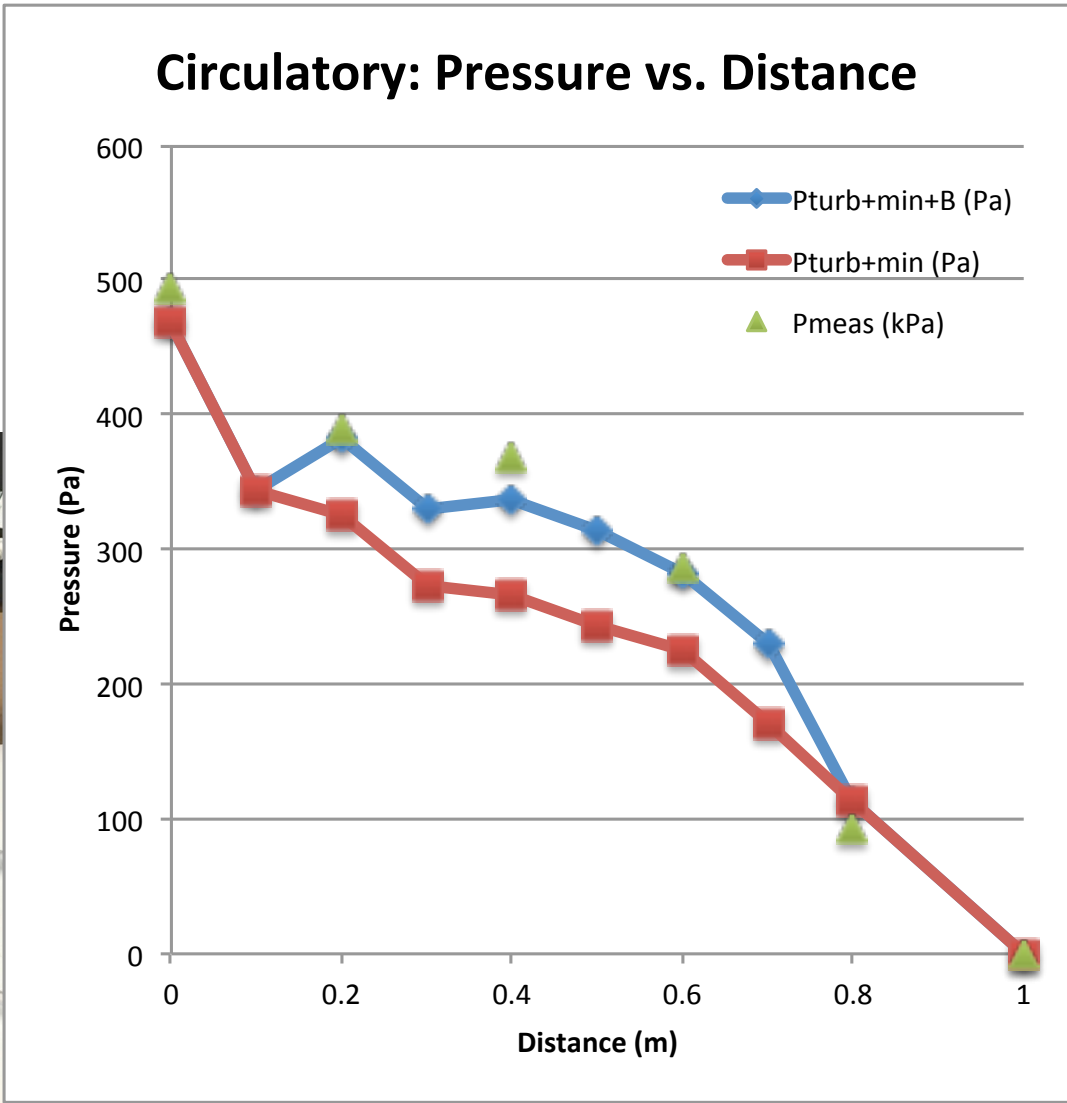
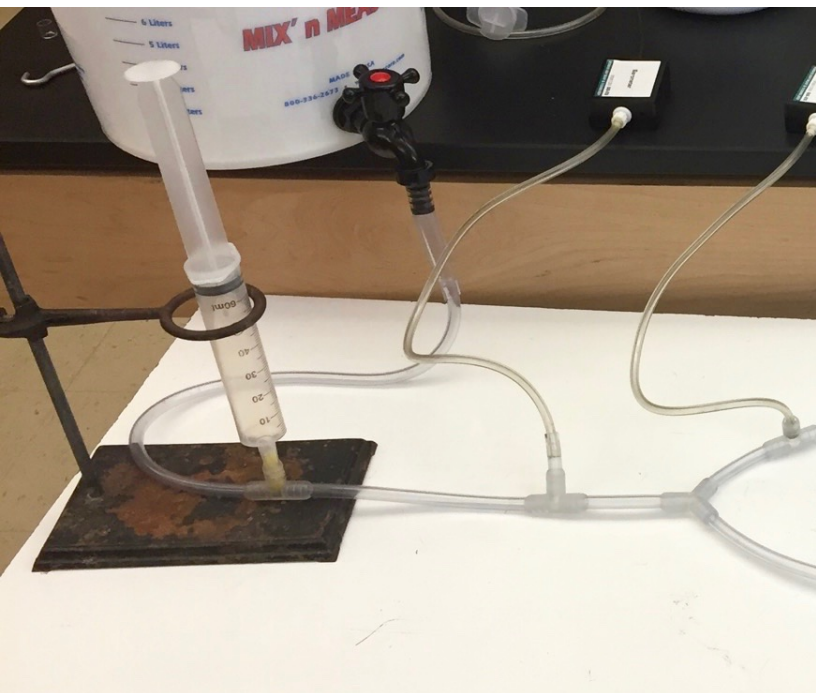


Modeling a smaller system...

Circulatory: Pressure vs. Distance

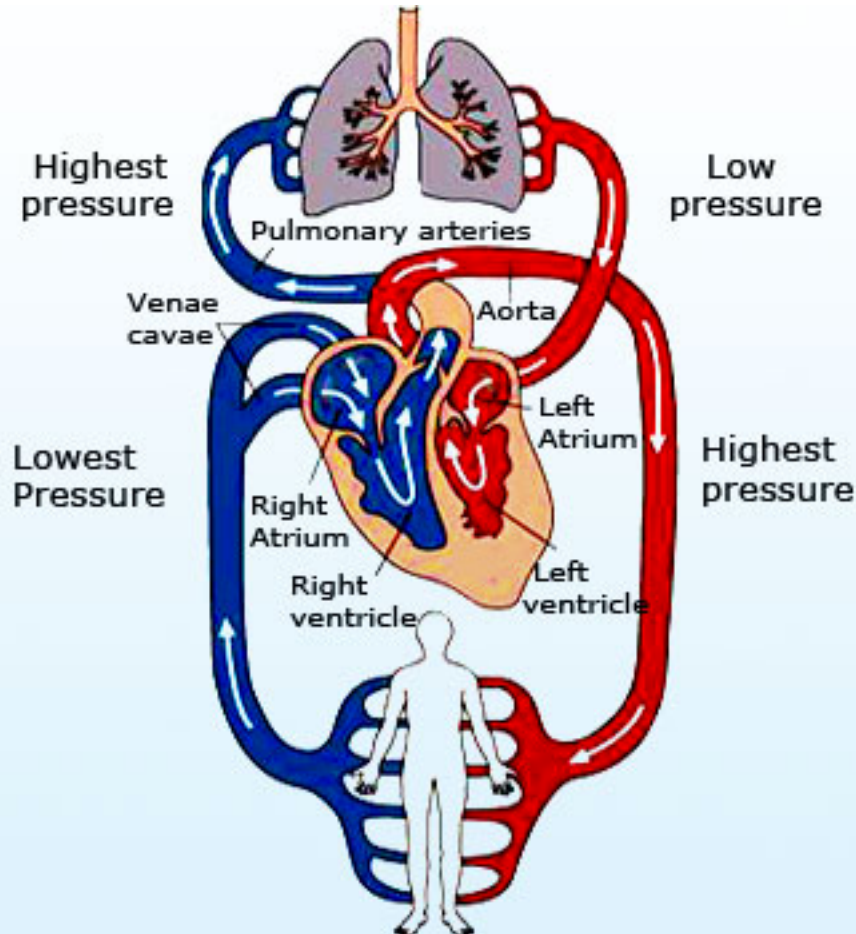


Modeling a smaller system...



The diagnosis

Flow in body is typically laminar.



We need:

- Equation of Continuity

$$A_1 v_1 = A_2 v_2$$

- Poiseuille's Law

$$\Delta P = QR$$

- Compliance

$$\Delta V = C \Delta P$$

- Diffusion (across capillaries)
- Bernoulli Principle + Laplace Law



For atherosclerosis

Teach Poiseuille First

This is a call for a Fluid Dynamics Paradigm Shift

The evidence in this talk supports the consideration of a Poiseuille first approach to teaching fluid dynamics. The growing emphasis on life science applications heightens the need to shift focus toward more realistic viscous and turbulent fluid properties.



AMERICAN
JOURNAL
of PHYSICS

Experiment illustrating Bernoulli's equation and Hagen–Poiseuille's law

J. Hellemans, P. Forrez, and R. De Wilde

Citation: *American Journal of Physics* **48**, 254 (1980); doi: 10.1119/1.12154

View online: <http://dx.doi.org/10.1119/1.12154>

In most handbooks Bernoulli's equation and Hagen–Poiseuille's law are treated separately. In this paper we present a simple and inexpensive experiment that introduces a combination of Bernoulli's equation and Hagen–Poiseuille's law, and with which students are made aware of the limitation of Bernoulli's equation.

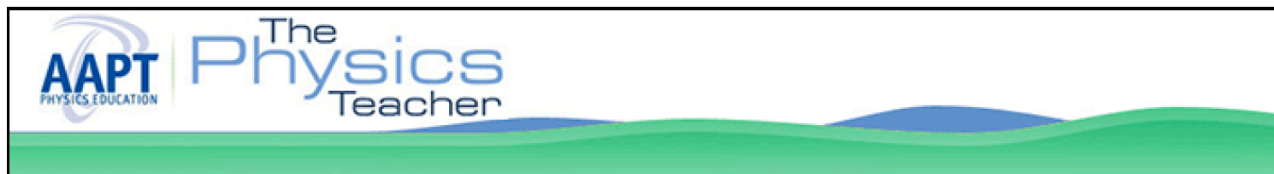


On combining the Bernoulli and Poiseuille equation—A plea to authors of college physics texts

Costas Emmanuel Synolakis and Henry S. Badeer

Citation: *American Journal of Physics* **57**, 1013 (1989); doi: 10.1119/1.15812

View online: <http://dx.doi.org/10.1119/1.15812>



The Bernoulli-Poiseuille equation

Henry S. Badeer and Costas E. Synolakis

Citation: *The Physics Teacher* **27**, 598 (1989); doi: 10.1119/1.2342887

View online: <http://dx.doi.org/10.1119/1.2342887>

“...we have noted a large number of students with the preconceived notion that the Bernoulli and Poiseuille equations are mutually exclusive.”

“College physics texts present the Bernoulli equation as the most useful equation in fluid dynamics. Some texts also discuss the Poiseuille equation, which deals only with viscous flow. We suggest that a combination of the two equations is desirable.”

A sunset over a body of water. The sun is a bright orange circle on the horizon, casting a reflection on the water. The sky is filled with horizontal bands of orange and yellow, with some wispy clouds. In the distance, a dark silhouette of a city skyline is visible against the horizon.

Thanks for listening!

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